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Learning to Pre-train Graph Neural Networks

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Background

GNNs

└ node-level representation

$$\begin{aligned}\mathbf{h}_v^l &= \Psi(\psi; \mathcal{A}, \mathcal{X}, \mathcal{Z})^l \\ &= \text{UPDATE}(\mathbf{h}_v^{l-1}, \\ &\quad \text{AGGREGATE}(\{(\mathbf{h}_v^{l-1}, \mathbf{h}_u^{l-1}, \mathbf{z}_{uv}) : u \in \mathcal{N}_v\}))\end{aligned}$$

└ graph-level representation

$$\mathbf{h}_G = \Omega(\omega; \mathbf{H}^l) = \text{READOUT}(\{\mathbf{h}_v^l | v \in \mathcal{V}\})$$

Pre-train GNNs

└

θ_0 is pre-trained

without accommodating the adaptation in fine-tuning

$$\theta_0 = \arg \min_{\theta} \mathcal{L}^{pre}(f_{\theta}; \mathcal{D}^{pre})$$

$$\theta_1 = \theta_0 - \eta \nabla_{\theta_0} \mathcal{L}^{fine}(f_{\theta_0}; \mathcal{D}^{tr})$$

Motivation

learn how to pre-train

Motivation

Pre-train a GNN model over a graph $\mathcal{G} \in \mathcal{D}^{pe}$

⊥ sample sub-structures $\mathcal{D}_{T_{\mathcal{G}}}^r$ for training

(the training data of a *simulated downstream task*)

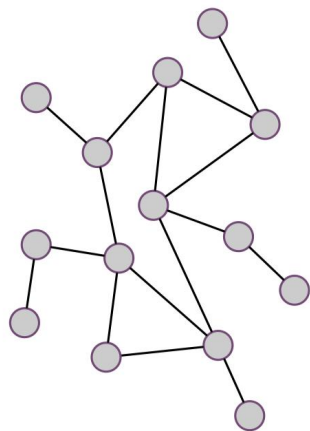
⊥ *mimic the evaluation* on testing sub-structures $\mathcal{D}_{T_{\mathcal{G}}}^e$

$$\theta_0 = \arg \min_{\theta} \sum_{\mathcal{G} \in \mathcal{D}^{pre}} \mathcal{L}^{pre}(f_{\theta - \alpha \nabla_{\theta} \mathcal{L}^{pre}(f_{\theta}; \mathcal{D}_{T_{\mathcal{G}}}^{tr})}; \mathcal{D}_{T_{\mathcal{G}}}^{te})$$

the fine-tuned parameters

(in a similar manner as the fine-tuning step on the downstream task)

L₂P-GNN

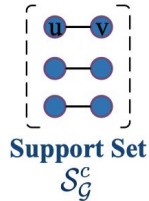


$$\mathcal{G} = \{\mathcal{V}, \mathcal{E}, \mathcal{X}, \mathcal{Z}\}$$

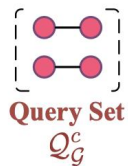
(a) An Example of Graph

Parent Task
 $\mathcal{T}_{\mathcal{G}} = \{\mathcal{T}_{\mathcal{G}}^1, \dots, \mathcal{T}_{\mathcal{G}}^k\}$

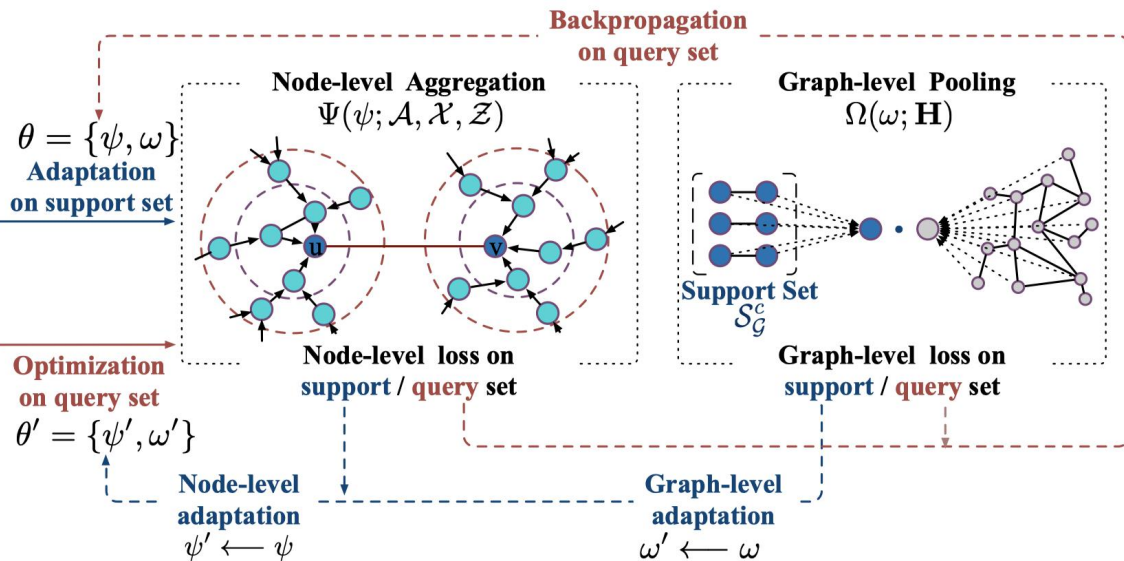
Child Task $\mathcal{T}_{\mathcal{G}}^c$



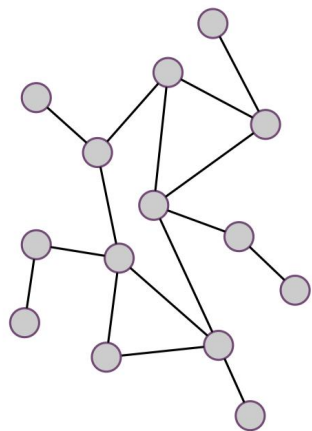
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(b) Task Construction



(c) Dual Adaptation in Self-supervised Base Model

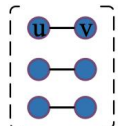


$$\mathcal{G} = \{\mathcal{V}, \mathcal{E}, \mathcal{X}, \mathcal{Z}\}$$

(a) An Example of Graph

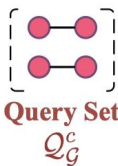
Parent Task
 $\mathcal{T}_{\mathcal{G}} = \{\mathcal{T}_{\mathcal{G}}^1, \dots, \mathcal{T}_{\mathcal{G}}^k\}$

Child Task $\mathcal{T}_{\mathcal{G}}^c$



Support Set
 $\mathcal{S}_{\mathcal{G}}^c$

...



Query Set
 $\mathcal{Q}_{\mathcal{G}}^c$

(b) Task Construction

$\theta = \{\psi, \omega\}$
 Adaptation
 on support set

Optimization
 on query set
 $\theta' = \{\psi', \omega'\}$

Task Construction

⊥ the pre-training data

$$\mathcal{D}^{\text{pe}} = \{\mathcal{G}_1, \mathcal{G}_2, \dots, \mathcal{G}_N\}$$

⊥ A task involving a graph

$$\mathcal{T}_{\mathcal{G}} = (\mathcal{S}_{\mathcal{G}}, \mathcal{Q}_{\mathcal{G}})$$

⊥ *gradient descent* w.r.t. the loss on

$\mathcal{S}_{\mathcal{G}}$

⊥ *optimize* the performance on $\mathcal{Q}_{\mathcal{G}}$

⊥ *simulating the training and testing*
in the fine-tuning step

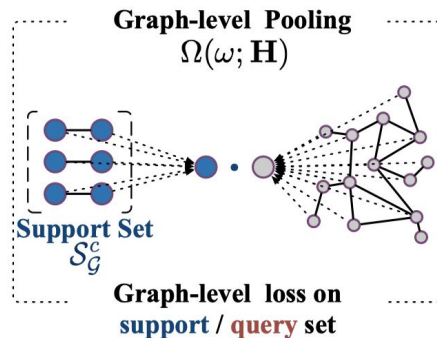
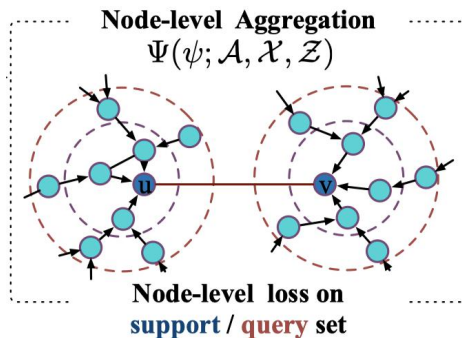
Self-supervised Base Model

⊥ node-level aggregation

$$\mathcal{L}^{node}(\psi; \mathcal{S}_G^c) = \sum_{(u,v) \in \mathcal{S}_G^c} -\ln(\sigma(\mathbf{h}_u^\top \mathbf{h}_v)) - \ln(\sigma(-\mathbf{h}_u^\top \mathbf{h}_{v'}))$$

⊥ graph-level pooling

$$\mathcal{L}^{graph}(\omega; \mathcal{S}_G) = \sum_{c=1}^k -\log(\sigma(\mathbf{h}_{\mathcal{S}_G^c}^\top \mathbf{h}_G)) - \log(\sigma(-\mathbf{h}_{\mathcal{S}_G^c}^\top \mathbf{h}_{G'}))$$



$$\mathcal{L}_{\mathcal{T}_G}(\theta; \mathcal{S}_G) = \mathcal{L}^{graph}(\omega; \mathcal{S}_G) + \frac{1}{k} \sum_{c=1}^k \mathcal{L}^{node}(\psi; \mathcal{S}_G^c)$$

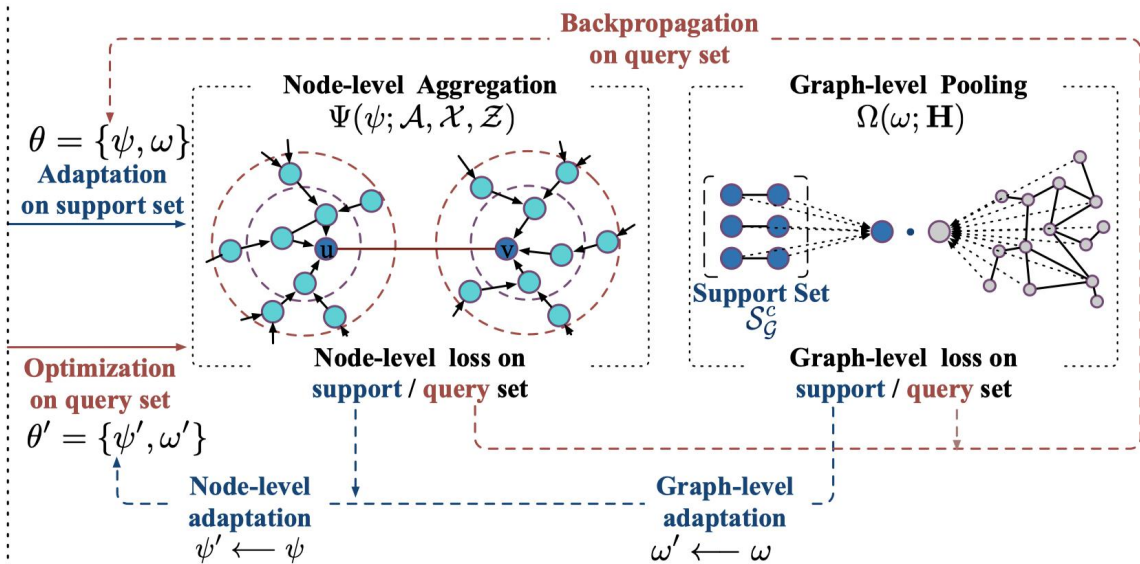
Dual Adaptation

⊥ node-level adaptation

$$\psi' = \psi - \alpha \frac{\partial \sum_{c=1}^k \mathcal{L}^{node}(\psi; \mathcal{S}_G^c)}{\partial \psi}$$

⊥ graph-level adaptation

$$\omega' = \omega - \beta \frac{\partial \mathcal{L}^{graph}(\omega; \mathcal{S}_G)}{\partial \omega}$$



(c) Dual Adaptation in Self-supervised Base Model

$$\theta \leftarrow \theta - \gamma \frac{\partial \sum_{\mathcal{G} \in \mathcal{D}^{pre}} \mathcal{L}_{\mathcal{T}_G}(\theta'; \mathcal{Q}_G)}{\partial \theta}$$

Experiments

└ Datasets

A new dataset for GNN pre-train

Dataset	Biology	PreDBLP
#subgraphs	394,925	1,054,309
#labels	40	6
#subgraphs for pre-training	306,925	794,862
#subgraphs for fine-tuning	88,000	299,447

└ Baselines

- └ EdgePred *to predict the connectivity of node pairs*
- └ DGI *to maximize mutual information across the graph's patch representations*
- └ ContextPred *to explore graph structures*
- └ AttrMasking *to learn the regularities of node/edge attributes*

└ GNN Architectures

- └ GCN, GraphSAGE, GAT, GIN

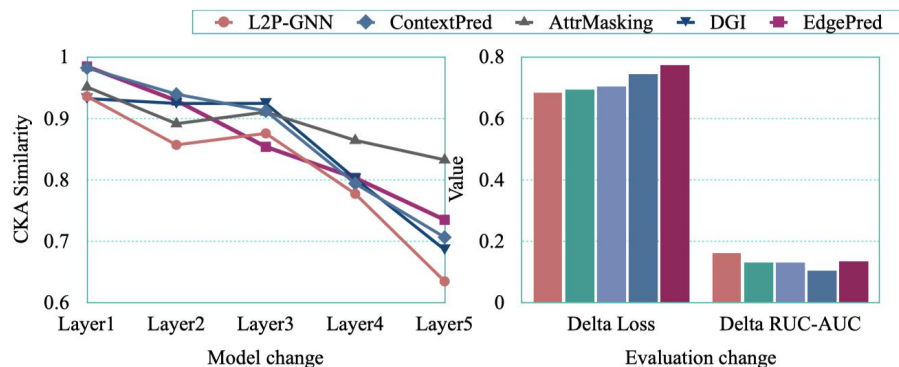
Performance Comparison

Table 2: Experimental results (mean \pm std in percent) of different pre-training strategies w.r.t. various GNN architectures. The improvements are relative to the respective GNN without pre-training.

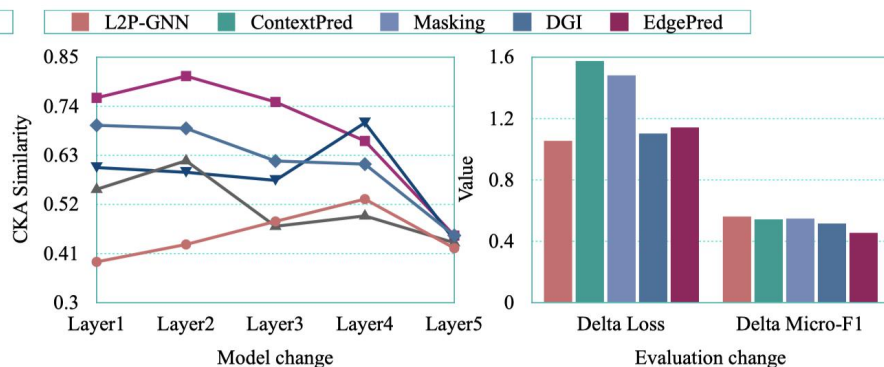
Model	Biology				PreDBLP			
	GCN	GraphSAGE	GAT	GIN	GCN	GraphSAGE	GAT	GIN
No pre-train	63.22 \pm 1.06	65.72 \pm 1.23	68.21 \pm 1.26	64.82 \pm 1.21	62.18 \pm 0.43	61.03 \pm 0.65	59.63 \pm 2.32	69.01 \pm 0.23
EdgePred	64.72 \pm 1.06	67.39 \pm 1.54	67.37 \pm 1.31	65.93 \pm 1.65	65.44 \pm 0.42	63.60 \pm 0.21	55.56 \pm 1.67	69.43 \pm 0.07
DGI	64.33 \pm 1.14	66.69 \pm 0.88	68.37 \pm 0.54	65.16 \pm 1.24	65.57 \pm 0.36	63.34 \pm 0.73	61.30 \pm 2.17	69.34 \pm 0.09
ContextPred	64.56 \pm 1.36	66.31 \pm 0.94	66.89 \pm 1.98	65.99 \pm 1.22	66.11 \pm 0.16	62.55 \pm 0.11	58.44 \pm 1.18	69.37 \pm 0.21
AttrMasking	64.35 \pm 1.23	64.32 \pm 0.78	67.72 \pm 1.16	65.72 \pm 1.31	65.49 \pm 0.52	62.35 \pm 0.58	53.34 \pm 4.77	68.61 \pm 0.16
L2P-GNN	66.48\pm1.59	69.89\pm1.63	69.15\pm1.86	70.13\pm0.95	66.58\pm0.28	65.84\pm0.37	62.24\pm1.89	70.79\pm0.17
(Improv.)	(5.16%)	(6.35%)	(1.38%)	(8.19%)	(7.08%)	(7.88%)	(4.38 %)	(2.58%)

- ⌊ **6.27% and 3.52%** improvements compared to the best baseline
- ⌊ **8.19% and 7.88%** gains relative to non-pretrained models
- ⌊ **negative transfer** harms the generalization of the pre-trained GNNs (e.g., EdgePred and AttrMasking strategies w.r.t. GAT)

Model Analysis



(a) Biology dataset



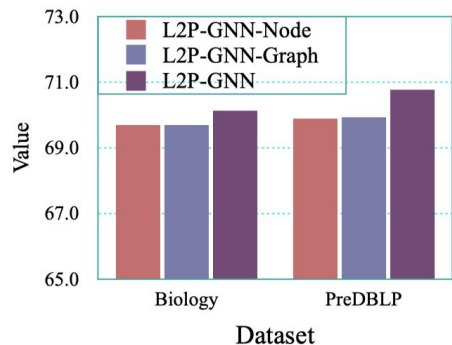
(b) PreDBLP dataset

Comparative Analysis

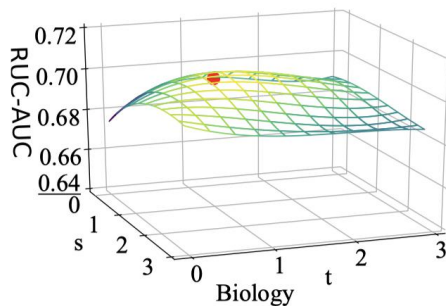
whether L2P-GNN narrows the gap between pre-training and fine-tuning?

- ⊥ Comparison of the pre-trained GNN model **before and after fine-tuning**
 - ⊥ **Centered Kernel Alignment (CKA) similarity** between the parameters
 - ⊥ *Smaller similarity, larger changes of model parameters*
 - ⊥ changes in loss and performance (**delta loss and RUC-AUC/Micro-F1**)
 - ⊥ *Smaller change, more easily achieve the optimal point*

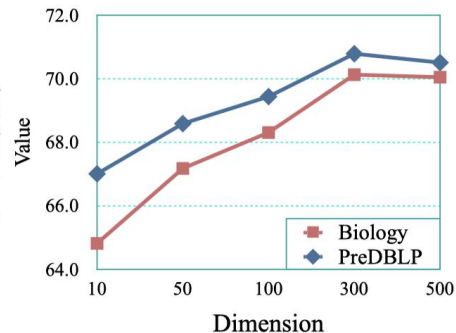
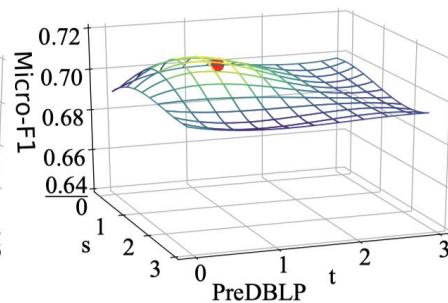
Model Analysis



(a) Ablation study.



(b) Node- and graph-level adaptation steps (s, t).



(c) Dimension analysis.

⌊ Ablation Study

⌊ L2P-GNN-Node with **only node-level** adaptation

⌊ L2P-GNN-Graph with **only graph-level** adaptation

⌊ Parameter Analysis

⌊ the number of node- and graph-level **adaptation steps** (s, t)

⌊ the **dimension** of node representations

THANKS

2020.12.19

Codes and datasets: <https://github.com/rootlu/L2P-GNN>

